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ABSTRACT

We use cross correlations of ambient seismic noise between pairs of 158 broadband and short period sensors to investigate the velocity structure over the top 5-10 km of the crust in the Southern California plate boundary region around the San Jacinto Fault Zone (SJFZ). We derive from the 9-component correlation tensors associated with all station pairs dispersion curves of Rayleigh and Love wave group velocities. The dispersion results are inverted first for Rayleigh and Love waves group velocity maps on a 1.5 x 1.5 km² grid that includes portions of the SJFZ, the San Andreas Fault (SAF) and the Elsinore fault. We then invert these maps to 3D shear wave velocities in the top \sim 7 km of the crust. The distributions of the Rayleigh and Love group velocities exhibit 20 azimuthal anisotropy with fast directions parallel to the main faults and rotations in complex areas. The reconstructed 3D shear velocity model reveals complex shallow structures that are correlated with the main geological units, and show strong velocity contrasts across various fault sections along with low velocity damage zones and basins. The SJFZ is marked by a clear velocity contrast with higher Vs values on the NE block for the section SE of the San Jacinto basin and a reversed contrast across the section between the San Jacinto basin and the SAF. Velocity contrasts are also observed along the southern parts on the SAF and Elsinore fault, with a faster southwest block in both cases. The region around the Salton Trough is associated with a significant low velocity zone. Strong velocity reductions following flower-shape with depth are observed extensively around both the SJFZ and SAF, and are especially prominent in areas of geometrical complexity. In particular, the area between the SJFZ and the SAF is associated with extensive low velocity zone that is correlated with diffuse seismicity at depth, and a similar pattern including correlation with deep diffuse seismicity is observed at a smaller scale in the trifurcation area of the SJFZ. The results augment local earthquake tomography images that have low resolution in the top few km of the crust, and provide important 47 constraints for studies concerned with behavior of earthquake ruptures, generation of rock48 damage and seismic shaking hazard in the region.

1. INTRODUCTION

Crustal fault zones have complex distributions of seismic properties that may include hierarchical damage zones, bimaterial interfaces, deformation structures such as basins and ridges, and adjacent blocks with various geological units and multi-scale heterogeneities. Imaging the fault zone velocity structure and the surrounding environment can provide important information for numerous topics ranging from the long-term evolution of the fault system to likely earthquake behavior and expected seismic shaking hazard (e.g. Ben-Zion 2008, and references therein). In this study we present noise-based tomography of the shallow crust in the Southern California plate boundary region, with a focus on the San Jacinto Fault Zone (SJFZ). The results complement recent double-difference tomography of earthquake arrival times in the area that show clearly along-strike and depth variations of fault damage zones, velocity contrasts and other features of interest over a depth range of about 3-15 km (Allam and Ben-Zion, 2012; Allam et al. 2014). The noise-based tomography of the present work allows us to obtain reliable results in the top few km, where the earthquake ray-coverage is sparse, and also to image a somewhat broader region than that analyzed in the above tomography studies. Imaging the top few km of the crust is particularly important for understanding site effects that can influence significantly the near-fault seismic ground motion (e.g. Boore 2014; Kurzon et al. 2014).

Ambient noise tomography has developed considerably in recent years (see, e.g., Campillo et al., 2011, and references therein). Instead of using impulsive sources, noise-based imaging involves extracting phase information between pairs of stations from correlations of

a diffuse random wavefield. Shapiro and Campillo (2004) and later works showed that the dispersions curves extracted from noise correlation functions are similar to those obtained from earthquakes. This allows the use of conventional surface wave tomography techniques to produce group or phase velocity maps of regions covered by dense seismic network (e.g. Shapiro et al., 2005; Sabra et al., 2005a,b; Lin et al., 2007, 2008; Moschetti et al., 2007; Yang et al., 2007; Stehly et al., 2009; Roux et al., 2011). The primary advantage of this method is the existence of ambient seismic noise in all places, albeit with strong spatio-temporal variations (e.g. Stehly et al. 2006; Kimman and Trampert 2010; Landès et al. 2010; Hillers and Ben-Zion 2011) that should be accounted for in the imaging analysis.

A recent study by Hillers et al. (2013) explored the feasibility of using ambient noise correlations to image the shallow structures of the SJFZ region. They found that the noise field in that area is sufficiently sensitive to the existing structures and that consistent velocity measurements can be extracted from the cross-correlations of the ambient seismic noise. In the following sections we perform detailed analysis of noise cross correlations using 158 stations in the plate-boundary region in southern CA. The noise cross correlations are processed to retrieve Rayleigh and Love wave velocities, which are then used to obtain tomographic images of the region. In the next section we describe briefly the area under investigation and results from previous imaging studies. In Section 3 we outline the data and pre-processing used to compute the cross correlations, and discuss potential effects of the directionality of noise sources on the cross-correlation functions. In Section 4 we describe the methods used to extract dispersion curves from the cross correlations and azimuthal anisotropy of the group velocity results. In section 5 we discuss the tomography formalism applied for inverting the dispersion results to shear wave velocities, and present the obtained tomographic images for the plate boundary region around the SJFZ. The results are discussed and summarized in section 6.

2. THE STUDY AREA

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The San Jacinto fault zone (Figure 1) is one of several major right-lateral strike-slip structures over which the motion between the North American and Pacific plates is accommodated in southern California. It formed 1-2 million years ago, presumably in response to geometrical complexities on the San Andreas Fault (SAF) such as the San Gorgonio bend (e.g., Morton and Matti, 1993; Fialko et al., 2005; Janecke et al., 2010), and is currently the most seismically active fault zone in southern California (Hauksson et al., 2012). The SJFZ effectively straightens the boundary between the North America and Pacific plates, and at present carries a slip rate that is comparable to that of the southern SAF (e.g., Fay and Humphreys, 2005; Lindsey and Fialko, 2013). A smaller part of the plate motion in the area is also accommodated by the Elsinore Fault located southwest of the SJFZ.

The structurally complex SJFZ consists of multiple segments (Fig. 1), which have distinct surface expressions, and exhibit different seismic and geometrical properties (e.g., Lewis et al., 2005; Wechsler et al., 2009, Salisbury et al., 2012). Over the past 1.5 Ma the fault has accommodated roughly 24km of total displacement (Sharp, 1967; Rockwell et al. 1990; Kirby et al., 2007). The central portion of the SJFZ, often called the Anza section, is the most geometrically simple region with only a single active surface trace, the Clark Fault (CL). Paleoseismic trench sites at various locations along the Clark Fault indicate that it has a complicated rupture history featuring both large through-going events as well as segmented smaller ruptures (Salisbury et al., 2012; Marilyani et al., 2013; Rockwell et al. 2014). The Anza section has a clear across-fault velocity contrast over the seismogenic zone (Allam and Ben-Zion 2012) and asymmetry of rock damage in the shallow crust based on the tomographic images as well as direct small-scale geological mapping (Dor et al. 2006).

Southeast of Anza is the Trifurcation Area, where the Coyote Creek (CC) and Buck Ridge (BR) segments branch off at low angles from the Clark fault. Though they vary in age and cumulative slip, all three segments are currently seismically active, as evidenced by a cloud of distributed seismicity throughout the Trifurcation Area. The complicated geometry is likely also responsible for the highly heterogeneous focal mechanisms (Bailey et al., 2010; Hauksson et al., 2012) in that region. Pronounced lithology contrasts are observed at the surface geology across all three fault strands (Sharp, 1967; Morton et al., 2012), with contacts between sedimentary and crystalline rocks in a variety of along-strike locations. The doubledifference tomographic images show clear velocity contrasts across all three faults, and about 4 km-wide low velocity zone with high V_P/V_S ratio in the trifurcation itself (Allam and Ben-Zion, 2012; Allam et al., 2014). Detailed studies examining the geomorphology (Wechsler et al., 2009) and seismic trapping structures (Lewis et al., 2005; Yang and Zhu 2010) in the area demonstrated the existence of asymmetric rock damage in the shallow crust, with more damage on the NE sides of each fault.

Northwest of Anza is the Hemet Stepover, a releasing step associated with the San Jacinto basin, where slip is transferred from the Claremont segment to the Casa Loma-Clark segment. Though the surface traces are distinct, paleoseismic work indicates that the two segments can rupture in a single through-going event (e.g., Salisbury et al., 2012; Rockwell et al., 2006; Marilyani et al., 2013). Compressional features at the Northwestern tip of the Casa Loma fault (Ben-Zion et al., 2012), in an area of otherwise extensional deformation, demonstrate the complexity of the system as a whole. The seismicity to the southeast of the Hemet Stepover is diffuse and associated with several oblique-slip anastomosing fault segments partly responsible for the uplift of the San Jacinto and Santa Rosa Mountains (Onderdonk, 1998). This complex region is associated with about 10 km wide zone of low seismic velocities,

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64 65 144 variations of the velocity contrast across the fault, and low V_P/V_S ratio around the San Jacinto 145 basin (Allam and Ben-Zion 2012; Allam et al. 2014).

The SJFZ joins the SAF at its northern termination at Cajon Pass where both faults cut through the Transverse Ranges. The pass separates the San Bernardino Mountains to the east from the San Gabriel range to the west. The presence of the San Bernardino basin leads to a reversal of the velocity contrast across portions of the SJFZ in that section and various other complexities (Allam and Ben-Zion 2012). Geologically mapped surface traces of the SJFZ and the SAF at the junction are separated by a few km, but along-fault variations of slip suggest that the fault systems are linked, with strain transfer onto the SJFZ probably contributing to the decrease in slip on the SAF from 24 ± 3.5 mm/yr at Cajon Pass down to 5-10 mm/yr at San Gorgonio Pass to the southeast (Dair and Cooke, 2009; Seeber and Armbruster, 1995; Zoback and Healy, 1992). The junction also marks a transition from a vertical SAF to the NW to a dip that has been inferred to be as shallow as $37\pm5^{\circ}$ to the SE (Fuis et al., 2012). Seismicity patterns in the region around Cajon Pass are complicated, with abrupt across-fault steps in maximum hypocentral depth (Magistrale and Sanders, 1996; Yule and Sieh, 2003).

3. DATA, NOISE PROCESSING AND CROSS CORRELATIONS

3.1 Data and Noise pre-processing

We use continuous seismic data recorded during 2012, from January 1 to December 31, at 158 stations (Figure 1) of the various seismic networks of southern California (the California Integrated Seismic network, the Anza network, the UC Santa Barbara Engineering Seismology network and the SJFZ Continental Dynamics project network). The combined network includes broadband (sampling rate 40 Hz) and short period (200 Hz) sensors distributed over the plate boundary region in southern California with inter-station distances
ranging from ~1 km up to ~ 300 km.

Imaging the subsurface structure using noise-based surface wave tomography requires pre-processing and multiple analysis steps to increase the quality of determining phase arrivals and dispersion curves (e.g. Shapiro & Campillo 2004; Bensen et al., 2007; Poli et al., 2012; Boué et al., 2013). In the following, we apply a modified version of the pre-processing procedure of Poli et al. (2012), which uses energy tests on short time windows in order to remove the effects of transient sources (earthquakes) and instrumental problems (gaps). We found by experimenting with the method version described below that it provides an efficient tool for producing time series without obvious earthquake signals, in our study area with high seismic activity, leading to cross correlations with high signal-to-noise ratio (SNR) defined here as maximum amplitude divided by the standard deviation of the noise.

The signal pre-processing is done station by station in the following order: (1) the 24-hr records are deconvolved from the instrument responses to ground velocity; (2) the data are high-pass filtered at 100s and are clipped at 15 standard deviation to remove glitches due to the digitalization; (3) the 24-hr traces are then cut in 4 hr sub-segments on which selection tests are performed in order to remove additional instrumental problems and transient sources like earthquakes. If the number of gaps exceeds 10% of a sub-segment, the segment is removed. All segments with energy (integral over the segment of the waveform amplitude square) larger than twice the standard deviation of energy over the entire day are removed. (4) The spectra of the remaining records are whitened by dividing the amplitude of the noise spectrum by its absolute value between 0.5 and 80 s without changing the phase. (5) To ensure that small earthquake signals are generally removed, we perform a second more standard clipping of the resulting waveforms at 4 standard deviations of the amplitudes. (6) The data are down-sampled to 4 Hz to reduce the size of the files. (7) Finally, we compute the cross correlations between the corresponding segments at pairs of stations in the frequency domain as in Bensen et al. (2007). The correlation function for each day is the average of the segments remaining after the above pre-processing in that day. As most of our stations record 3 components signals, we compute the 9 inter-component (vertical (Z), North-South (N) and East-West (E)) correlation functions corresponding to the elastic Green's tensor (ZZ, ZE, ZN, EZ, EE, EN, NZ, NE, NN). This correlation tensor is then rotated along the inter-stations azimuth to provide the correlation functions between the radial (R), transverse (T) and vertical (Z) components (RR, RT, RZ, TR, TT, TZ, ZR, ZT, ZZ) of the seismic wavefield propagating along the great circle connecting the two stations.

The main purpose of this pre-processing procedure (Poli et al., 2012) is to remove as many as possible transient sources from the noise data. Figures S1 and S2 illustrate the improvement in the surface wave reconstruction (e.g., signal to noise ratios, reasonable arrivals on positive and negative times, dispersion) compared to usual methods based on whitening and cutting the traces according to a pre-determined threshold (Bensen et al., 2007; Stehly et al., 2009, Hillers et al., 2013). Figure S1a presents a day of data with an earthquake and Figure S1b shows a corresponding waveform where a classical clipping (here at 4 standard deviations) was used to clean the time series. With such standard clipping, the earthquake signal is not fully removed from the data. This is better shown on Figure S2a that compares the cross correlation for that particular "earthquake day" (red trace) and a reference day (blue trace) without a visible earthquake. The correlation function for the earthquake day is different from the one obtained with the cleaner noise wave field. In the former case, surface waves are masked due to the earthquake signals that produce a high amplitude localized pulse that dominates the noise scattered wave field. With the modified Poli et al. (2012) procedure employed here, the last segment with the earthquake is removed (Figure S1c). The correlation function computed after this treatment (red trace in Figure S2b) is 218 considerably improved, with clear arrivals in both positive and negative times as in the reference noise day (blue trace), compared to the results in Figure S2a.

3.2. Surface waves reconstruction and noise directionality

Figures 2a and 2d show examples of ZZ daily correlation functions, presented as correlograms for different Julian days in 2012, between stations PLM-PSD (left) and stations PER-BOR (right). We choose these pairs of stations (see Figure 1 for locations) to illustrate two particular propagation directions: the paths between PLM-PSD and PER-BOR are, respectively, normal and parallel to the coast (which is the largest source of noise) and the SJFZ. Both correlograms show clear and stable arrivals at positive and negative times for the entire year (the asymmetry of the correlation functions observed for PLM-PSD and the reduced amplitudes for PER-BOR are discussed below). The temporal stability of the daily correlations indicates that most of the transient sources have been properly removed from the traces by the pre-processing, leading to stable arrivals in the correlation functions associated with the seismic wavefield propagating between the station pairs.

The daily correlations have 5-10% amplitude variations without clear seasonal evolution, which may affect the quality of the cross correlations by reducing the SNR for particular days leading to less accurate travel times measurements. We remove these small-scale variations and increase the overall SNR by stacking the daily correlation functions for the whole year 2012 to obtain average ZZ correlations (top traces in Figures 2b and 2e). Similar analyses give the average inter-component correlations between the vertical and radial (ZZ, ZR, RZ, RR) and transverse (TT) components (Figures 2b and 2e). The arrival patterns observed for all correlation components in both the positive and negative times are dominated by surface waves travelling between the used pairs of stations. In both examples, the ZZ, ZR, RZ and RR terms have Rayleigh waves that show similar group time delays for all traces, and the
expected phase shift due to the elliptical polarization of Rayleigh waves between the ZZ and
RZ correlations. The TT correlations have Love waves.

Figure 2c and 2f present period - group velocity diagrams resulting from the combination of the ZZ, ZR, RZ and RR components with a logarithm stacking method described in section 4.1. A clear dispersive pattern corresponding to the fundamental Rayleigh wave mode is observed in both cases for periods between 3 and 12s. The dispersion curves extracted from these period - group velocity diagrams (black lines on Figure 2c and 2f) show different dispersion characteristics between the two paths (e.g., higher Rayleigh wave group velocities for PER-BOR compare to PLM-PSD, and more stable Rayleigh dispersion for PLM-PSD with a slightly increasing group velocity for increasing period), which reflect the different media sampled by the reconstructed Rayleigh waves travelling between PLM-PSD and PER-BOR.

Clear differences in term of amplitudes and symmetry are observed for the two propagation directions plotted in Figure 2. The correlations for coast-normal directions (left panels) show an asymmetric surface wave amplitude pattern, while the coast-parallel directions present (right panels) more symmetric correlations functions with reduced amplitudes. This is explained by the dominance of near-coastal excitation of the noise field in southern California and scattering mean free path that is too large to completely randomize the ambient noise (Hillers et al., 2013). As a result, the amplitudes of the reconstructed surfaces waves are significantly higher for the west-east propagation direction corresponding to the noise directionality between PLM and PMD. The lack of strong noise sources for coast parallel directions explains the symmetry and overall amplitude reduction of the reconstructed surfaces waves between PER and BOR. The non-isotropic distribution of noise sources may bias (e.g. Weaver et al., 2009; Froment et al., 2010) the measured travel times on correlation functions. Hillers et al. (2013) studied the potential errors on arrival-time measurements of Rayleigh waves in the SJFZ region due to the directional noise and found the effect to be small. We note that the strong directional distribution of noise sources will mainly affect the coast-normal paths (Figure 2). The distribution of 158 stations used in this work (Figure 1) leads to a large number of paths in all directions that helps obtaining reliable results on surface wave propagation in the region.

Figure 3 illustrates the propagation of the surfaces waves through the entire network, by showing the 9 components of the correlation tensor as a function of the inter-station distances. The correlations are stacked in 0.5 km distance bins for a better visualization. As in the two specific station pairs used for the examples in Figure 2, prominent Rayleigh waves are reconstructed on the RR, ZZ, RZ and ZR components and Love waves are reconstructed on the TT correlation term. Note the slightly faster Love waves. The remaining transverse components (RT, TR, TZ, ZT) show only weak diffuse phases, as expected theoretically, lending support to the quality of the rotations along the inter-station azimuth (see section 3.1). In the following sections we perform travel times measurements on the various components and use the data to obtain tomographic images for the region.

4. SURFACE WAVE TOMOGRAPHY

In this section, we use Rayleigh and Love waves constructed from the ambient noise cross correlation to image the shallow crust in the southern California plate-boundary region. We derive dispersion curves for all station pairs, and then we invert the dispersion curves first to group velocities and then to shear wave velocity maps for the region.

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290 4.1 Dispersion measurements and paths selection

The dispersion measurements are done for periods of 1 to 25 sec from the reconstructed surface waves using the frequency-time analysis (FTA) of Levshin et al. (1989). The dispersion analysis can be done on both the causal and anti-causal parts of the correlations. For Rayleigh waves, we take advantage of the 4 components of the correlation tensor (RR, ZZ, RZ, ZR) that contain Rayleigh waves. We first compute the FTA for each signal *i* independently to obtain a normalized period - group velocity diagram $N_i(T,u)$, where *T* is the period and *u* the group velocity. The results are then combined with a logarithmic stacking in the period - group velocity domain as in Campillo et al. (1996)

$$A_s(T,u) = \prod_i N_i(T,u),\tag{1}$$

where $A_s(T,u)$ is the combined period - group velocity diagram on which the dispersions are calculated. The width of the mean envelope at a given period is proportional to the inverse of the number *i* of the stacked FTA (8 in our case), and its amplitude depends on the standard deviation of the group velocities. The dispersion measurements are evaluated on the $[A_s(T,u)]^{(1/i)}$ diagram, which provides amplitude values between 0 and 1 independently of the number *i* of stacked FTA. We use only the period - group velocity region on the $[A_s(T,u)]^{(1/i)}$ diagram for each pair of stations that have maximum amplitude above 0.3. The same method is used to extract Love wave dispersion curves, using in that case only the two possible measurements (on the causal and anti-causal TT correlation). Given the different amounts of measurements, we expect generally more reliable results for Rayleigh waves than for Love waves.

11 This technique is used on data with sufficiently high SNR on both the causal and anti-12 causal parts of the correlation functions (Figure 3), including paths with strongly asymmetric noise sources (e.g., left panels of Figure 2). Moreover, the logarithmic stacking method takes advantage of different frequency contents in the opposite propagation directions for some pairs of stations. Due to the dominant near-coastal excitations, the incident noise direction coming from the Pacific includes higher frequencies compared to the opposite direction (Hillers et al., 2013). As illustrated in Figures 2c and 2f, using combinations of the ZZ, ZR, RZ and RR measurements on the positive and negative times, we obtain clear Rayleigh wave dispersion curves both for coast-normal and coast-parallel paths. If the measurements obtained from the opposite incident noise directions are not sufficiently similar, the resulting stacked period - group velocity diagram will not reach the threshold (here 0.3) to be considered in the tomography.

Figure 4 shows histograms of the measured group velocity for Rayleigh (Fig. 4a) and Love (Fig. 4b) waves at a period of 7 sec for all pairs of stations. For Rayleigh waves, the measured velocity has a mean value of 2.86 km/s with a relatively symmetric spread associated with standard deviation of 0.39 km/s. For Love waves, the average velocity is 2.92 km/s with a more asymmetric spread and standard deviation of 0.45 km/s. The relatively large standard deviations are expected in the Southern California study region with strong lateral variations of velocities (Allam and Ben-Zion, 2012). The more disordered results for Love waves compared to Rayleigh waves are expected from the smaller number of measurements. To increase the quality of the inversions, we require the measurements to satisfy 3 different criteria. First, we remove all correlation functions with a SNR under 7 to ensure that the travel times are well estimated. Second, for each measured period we exclude all paths with a length smaller than one wavelength. Due to the size of the area under investigation, we have a small number of paths for periods above 12s (Table 1). Given this and our interest in the shallow crust, we focus on periods below 12s. Finally, we keep only the velocity measurements in a range of two standard deviations from the mean (red vertical lines in Figures 4a,b). This reduces the variability in the measurements and avoids unrealistic values for the inversion.
Table 1 summarizes the number of selected measurements at each period used in the
inversions.

4.2 Azimuthal Anisotropy

Before inverting the data for isotropic velocity models, we analyze potential azimuthal anisotropy in the high-quality velocity measurements satisfying the criteria discussed above. This can augment the isotropic velocity models by providing information on the orientation of velocity variations in the southern California plate boundary area. Numerous studies demonstrated the existence of seismic anisotropy in the shallow crust around fault zones from shear wave splitting in earthquake waveforms (e.g., Aster et al. 1990; Peng and Ben-Zion 2004; Liu et al. 2005; Boness and Zoback 2006; Yang et al. 2011). As the noise correlations are dominated by the fundamental mode of surface waves, we can use the selected group velocity measurements obtained from the cross correlations to infer azimuthal anisotropy in the SJFZ region (e.g., Lin et al., 2009, 2011; Fry et al., 2010; Mordret et al., 2013b). The use of dispersive surface waves, which are sensitive to deeper structures for increasing periods, may be utilized to retrieve the 3D distribution of azimuthal anisotropy.

Figures 5a and 5b display the azimuthal distribution of the group velocity measurements (Figure 4) at 7 s for Rayleigh and Love waves (small black dots). The large red dots with error bars are group velocities averaged over 10° bins. The results exhibit an azimuthal dependence of values, with azimuths around 10° and 200° showing significantly higher velocities for both Rayleigh and Love waves. To study the azimuthal distribution, we use a parameterization similar to Smith and Dahlen (1973). For a slightly anisotropic medium, the

group velocities can be approximated in the form of an even order harmonic function with 180° (2 θ anisotropy) and 90° (4 θ anisotropy) periodicity:

$$U(\theta) = u_0 + A \cdot \cos(2(\theta - \varphi_2)) + B \cdot \cos(4(\theta - \varphi_4)), \qquad (2)$$

where u_0 is the average group velocity, θ is the azimuth, A and B are peak-to-peak relative amplitudes of the 2 θ and 4 θ terms, and φ_2 and φ_4 define the orientation of the fast axes for the 2θ and 4θ terms. The blue lines in Figs 5a and 5b show the optimal fit. The results indicate 2θ azimuthal anisotropy of 6-10% for incident propagation directions oriented around 200° (Figs 5c and 5d). The 4 θ component is only a few percent and has maximum speed oriented in the same direction. We note that group velocities extracted from Love waves show a higher (by about 4% to 5%) 2 θ anisotropy, which may reflect less reliable velocities based on only two independent measurements. The amplitudes and orientations found for both the average 2θ and 40 terms are in general agreement with previous studies (e.g. Lin et al., 2011; Ritzwoller et al., 2011). The origin of this average azimuthal anisotropy is not fully clear. One possible explanation is a bias due to the strongly asymmetric noise sources concentrated at the Pacific (e.g., Hillers et al. (2013) and section 3.2), which corresponds to the fast direction angle around 200° (Fig. 5d). A good test of this potential bias is to invert for the spatial distribution of the azimuthal anisotropy. If the strong directionality of noise sources biases the measurements we expect to find a coast perpendicular fast direction for the entire map. In contrast, if the fast directions are affected by prominent structures (e.g. fault zones, basins) this will suggest a physical origin related to the crustal properties.

To reduce the uncertainties, we combine all measurements within 8 km x 8 km cells (Lin et al., 2009; Mordret et al., 2013b). The results in each cell are averaged on 20° azimuth bins and fitted by equation (2). We define the misfit of the inversion at a single cell as the standard deviation between the measured and predicted group velocities (Mordret el al., 2013b) and

use for interpretation only the cells with a misfit smaller than 0.15 km/s. Figure 6 presents the resulting maps for the Rayleigh and Love waves. As found in previous studies (e.g. Lin et al., 2011; Ritzwoller et al., 2011), we observe clear spatial variations with overall correlation between the 2θ fast direction orientation and major geological structures. Lin et al. (2011) used both noise correlations and earthquake data and found the same pattern of azimuthal anisotropy with fast directions that follow the main geological boundaries in southern California. The results of Figure 6 provide additional details to the large scale analysis of Lin et al. (2011). The fast directions are generally aligned with the system of strike-slip faults that make the southern California plate boundary region, with some deviations related to structural complexities. The region where the SJFZ and SAF merge and other places with major fault branches show rotations of fast directions. Around the Anza section of the SJFZ with relatively simple geometry, the degree of azimuthal anisotropy is considerably smaller than in structurally complex regions. The coast-perpendicular fast directions may be associated with rotations in areas with multiple complex structures, or reflect in some places artifacts related to the directionality of the noise sources.

4.3. Inversion of dispersion measurements for group velocities

The dispersion measurements are inverted to obtain isotropic group velocity maps following the Barmin et al. (2001) method. The standard forward problem is written in tensor notation as:

$$d = Gm, \tag{3}$$

where $d=t^{means}-t^0$ is the data vector consisting of the differences between the measured group traveltimes and those computed with the initial model for each path. The matrix *G* represents

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408 the surface wave traveltimes for each path in each cell of the initial model. The inversion 409 target is the group velocity map $m=(u-u_0)/u_o$, where *u* is the velocity obtained after inversion 410 and u_0 the initial group velocity. For each period, the initial model over the entire region is the 411 average value of all the measurements at that period.

The Barmin et al. (2001) inversion is based on minimization of a penalty function having a linear combination of data misfits, magnitude of perturbation and model smoothness:

$$(G(m) - d)^{T} (G(m) - d) + \alpha^{2} \|F(m)\|^{2} + \beta^{2} \|H(m)\|^{2}, \qquad (4)$$

where *F* is a Gaussian spatial smoothing function over the surface covered by the grid with correlation length σ written as:

$$F(m) = m(r) - \int_{\mathcal{S}} \exp\left(-\frac{|r-r'|^2}{2\sigma^2}\right) \cdot m(r') dr',$$

(5)

and the last term *H* is defined as:

$$H(m) = \exp(-\lambda\rho) \cdot m, \tag{6}$$

where ρ is the path density (discussed further and illustrated in section 4.4 below) and λ a weight parameter that produces gradual fading of the inverted model into the initial model in areas where the path density is low.

Four parameters are used to regularize the solution: β and λ control the magnitude of the model perturbations and α and σ control the spatial smoothing. The parameters are chosen through a standard L-curve analysis by plotting the variance reduction as a function of the different parameters. The preferred values are usually chosen to be near the maximum curvature of the L-curves (e.g. Hansen & O'Leary, 1993; Stehly et al., 2009). This is illustrated in Figure 7 for Rayleigh waves at a period of 7 s. The coefficients α and σ that control the smoothness affect strongly the variance reduction and the final inversion results. The damping factor α has period-dependant values determined with the L-curve analysis (see the example at 7s in Figure 7a) to be 12 for the periods from 3s to 11s, and to be 15 for a period of 12s. This increase of α for 12s is related to the lower quality of the data (i.e. number of paths), which requires a slightly stronger smoothing to avoid the appearance of speckles in the maps. The correlation length σ is set at 3km for all the frequencies using again an L-curve criterion (Figure 7b). Note that α and σ are not chosen to minimize the misfit (i.e. maximize the variance reduction), because for minimizing values the model results are contaminated by small-scale patterns associated with the path distribution. The parameters β and λ have little influence on the inversions, since they affect only cells with low path coverage, and are fixed (Figures 7c and 7d) to be $\beta = 3$ and $\lambda = 0.4$. For inversions of Love waves, the parameters remain the same, except for α which is set to be 18 for all periods.

Figure 8 gives inverted group velocity maps at 3s, 5s, 7s and 9s for Rayleigh waves and Figure 9 provides corresponding maps for Love waves. The results show overall increasing velocities with periods associated with dispersion of the Rayleigh and Love waves. In addition, the images reflect a diversity of structural features including clear velocity contrasts across the main faults along with low velocity damage zones and basins. The low velocity damage zones are especially pronounced at low periods of Love waves in areas of structural complexity (e.g. the trifurcation area and region between the SAF and SJFZ); the low velocity zone around the Salton trough persists up to 9 s. The NE block of the SJFZ has higher group velocities than the SW block at periods up to 5 s, other than in the region between the SJFZ and SAF to the NW of the San Jacinto basin (see Figure 1) where the SW block has higher velocities. At periods longer than 5 s, the velocity contrast along the central SJFZ is small, while to the NW of the San Jacinto basin the SW block has higher group velocities. The group velocity maps also show a clear contrast across the southern SAF near the Salton trough with a slower SW block, and across portion of the Elsinore fault with faster SW block up to periods of 7 s.

4.4. Inversion resolution

The resolution of the inversion with the Barmin et al. (2001) method is described by a resolution matrix that depends mostly on the network geometry and distribution of highquality measurements that satisfy the criteria discussed in section 3. The rows of the resolution matrix give the resolution of the final model at each cell by quantifying the dependency of the obtained group velocity at that location to the measurements at all other locations. The quality of the obtained maps can be assessed using (1) the path density in each cell, and (2) the resolution length at each node defined as the distance for which the value in the resolution matrix decreased by a factor of 2. Figures 10a and 10b show the path density in each cell of 1.5 x 1.5 km² for the obtained Rayleigh and Love waves at 7s. The path coverage in the region of interest from the Elsinore fault to the SAF is good with more than 20 paths per cell. Close to the SJFZ, the path coverage increases to a minimum of 40 paths per cell with a maximum value of 164 paths. The only poorly resolved region is SE of the trifurcation area where the number of paths decreases rapidly due to the lack of stations in that region. Figures 10c and 10d present the correlation length in each model cell. There is good (relatively small) correlation lengths in the range 2-4 km in most of the region around the SJFZ, up to the SAF to the NE and the Elsinore fault to the SW. The resolution in the Salton trough is reduced with correlation lengths above 7km, and is poor to the SE of the trifurcation area due to lack of data. We also note that the path coverage is lower and the correlation 477 length higher for Love waves due to results at less cells compared with Rayleigh waves (see
478 Figures 8 and 9), which is related to the smaller number of measurements used to reconstruct
479 the Love waves.

5. INVERSIONS FOR 3D SHEAR-WAVE VELOCITIES

5.1 Inversion method and resolution

The obtained group velocity maps at each period are inverted for shear wave velocities using the linearized inversion scheme of Hermann & Ammon (2002). Considering the period interval from 3s to 12s for which we have reliable group velocity maps, we focus the inversion on the top ~7 km of the crust. This is an important depth range since the velocities structure in the top few km of the crust are typically not well constrained by earthquake tomography (e.g., Allam & Ben-Zion 2012). We first invert for an average depth-dependent Vs model and then use the local dispersion curves extracted from the group velocity maps to obtain depth-dependent Vs profiles at each cell of the grid. By combining all local 1-D profiles we obtain a detailed 3-D shear wave velocity structure in the study region.

The quality of the inverted models with the linear approach of Hermann & Ammon (2002) depends on the accuracy of the initial model. To have an good initial model we use the results form the double-difference earthquake tomography of Allam and Ben-Zion (2012), which provide detailed images of crustal velocities over the depth range ~3-15 km. We begin with a starting model that consists of laterally-average velocities from Allam & Ben-Zion (2012) in 60 layers with thickness values that vary from 500 meters for the first 40 layers to 1 km for the others (Figure 11a). With the limited depth resolution of the fundamental mode of Rayleigh and Love waves for the considered periods, we impose smooth velocity variations with depth in the top 30 layers. The velocity is allowed to take a large range of values as long

as the depth variation is smooth. The obtained results are well-defined solutions given themodel parameterization as discussed below.

Using the above initial model, we invert the average group velocity dispersion curves (Figures 11b and 11c) to obtain related average crustal Vs models for the region (Figure 11a). We compute the average dispersion curves by averaging the group velocity maps at each period in cells with path density above 5. Figures 11b and 11c show the average group velocity curves, along with theoretical dispersion curves associated with the inverted Rayleigh- and Love-based models of Figure 11a. As shown in Figure 11d, the results are well fitted with a misfit of less than 0.015 km/s for both Rayleigh and Love waves. The depth resolution of the inversions in the 3-12 s periods is relatively high over the shallow crust for both Rayleigh and Love waves. The resolution matrices presented in Figures 11e and 11f indicate good resolution up to 7-10 km for Rayleigh waves and up to 5-7 km for Love waves. The Vs model based on the Love waves shows lower velocities by about 6% in the shallow structures (Figure 11a). This may stem from a combination of less reliable Love wave group velocities measurements and/or the existence of anisotropy. The path coverage, which is limited for Love waves on the model edges where low velocity zones associated with the SAF and Elsinore fault are observed, may also explain the differences between the Rayleigh and Love waves results.

To improve the inversion results, we proceed by inverting Vs at each grid cell starting from the local high-resolution model of Allam & Ben-Zion (2012). For cells not covered by that model we use the average depth-dependent results as above. The data misfit over all cells and periods are small being generally bellow ±0.05 km/s for Rayleigh waves (Figure 11g). The inversions of the Love group velocity maps have slightly higher misfits generally within ±0.1 km/s (Figure 11h). As the misfit values are close to the errors of the dispersion measurements, the obtained results are well defined for the range of used periods.

5.2 Vs maps and profiles

Figures 12 and 13 show, respectively, map views of the Vs values derived at various depths from the group velocities of the Rayleigh and Love waves. As in Figures 8 and 9, we observe complex structures that include multiple features of interest. The SJFZ is well marked with low velocity zones and velocity contrasts across the fault. In the section to the SE of the San Jacinto basin the NE block has higher Vs values, and the sense of velocity contrast is reversed across the section between the San Jacinto basin and the SAF. Velocity contrasts are also observed across the southern part of the SAF and the southern section of the Elsinore fault, with faster SW blocks in both cases. Both the SAF and SJFZ have prominent low velocity zones in the top 5 km in areas of structural complexities, which extend to 7 km in the region between the two faults and the Salton trough area. Another interesting low velocity zone extends near the SE edge of the model from the trifurcation area of the SJFZ toward the Elsinore fault. This feature is very pronounced at 1-3 km in the maps based on Love waves (Figure 13). At depth of 7 km, the most pronounced features in the results based on Rayleigh waves are the low velocity zones between the SAF and SJFZ and SW of the SAF close to the Salton trough (Figure 12d). In general, the tomographic images from the Rayleigh and Love waves have very consistent results on complex structures in the top 5 km of the plateboundary region. Some of the discussed features are better shown in fault-normal crosssection presented in Figures 14 and 15.

Figure 14 and 15 show Vs images based on Rayleigh and Love waves, respectively, for the fault-normal cross-sections marked as profiles 1 to 7 in Figure 1. Profiles 1-4 go through the complex damage region between the SAF and SJFZ, and exhibit low velocities in the top 2-4 km that are primarily on the NE side of the SJFZ. Profiles 2-4 show a strong velocity contrast across the SJFZ that coincides with the surface trace of the fault. The velocities to the NE at these locations are reduced by up to 40% in the top 4 km. As shown in Figure 1, the region between the SAF and SJFZ has high seismicity that is broadly distributed with hypocentral depths between 4km to 20km (Hauksson et al., 2012). We therefore observe spatial correlation between strong shear wave velocity reduction at shallow depths and diffuse seismicity at seismogenic depth. Profiles 5-6 show the influence of the San Jacinto Basin that reduces Vs strongly in the top 2 km on both sides of the main surface trace (Clark fault). Profile 7 crosses the trifurcation point and shows LVZ in the top 2 km both sides of the Clark fault. The entire trifurcation area is associated with high seismicity (Figure 1), showing again a spatial correlation between shear wave velocity reduction in the top few km and diffuse seismicity at depth. The widths of the LVZ are decreasing with depth especially in the images associated with Love waves (Figure 15), leading to flower shape structures.

The results obtained from the Love wave dispersion curves are generally in agreement with the Rayleigh wave based results. Most of the observed features with both wave types (low velocity fault damage zones, velocity contrasts and basin effects) are consistent. The overall lower resolution of the Love wave leads to more diffuse Vs images. As discussed for the average model, the shear wave velocities are usually lower by a few percent for the Love waves due to stronger velocity reductions near basins or fault zones at shallow depth (1-3 km). This may reflect the higher sensitivity of Love waves to shallow structures; they are more affected by the damage zones and basins in the top few km. The obtained shear wave velocity results are provided in the supplementary material.

6. DISCUSSION AND CONCLUSIONS

573 We performed detailed imaging of the seismic velocity structure in the top \sim 7 km of the plate boundary region in southern California using noise-based Rayleigh and Love waves. The results complement earthquake tomography studies in the region (e.g., Hauksson, 2000; Lin et al. 2007; Allam and Ben-Zion 2012), which have low resolution in the top 2-3 km and in horizontal sections not covered well by propagation paths associated with earthquakes. To first order, the observed velocity structures are correlated with the surface geology, showing higher Vs in plutonic rocks (Sharp, 1967) such as the Thomas Mountain Pluton on the NE block of the SJFZ near Anza. Our tomographic images show various additional fault zone features (velocity contrasts, damage zones, basins, anisotropy) that are generally in good agreement with the detailed earthquake tomography studies of the SJFZ environment (Allam and Ben-Zion 2012; Allam et al. 2014) and larger scale imaging with earthquake and noise data (Tape et al. 2010; Ritzwoller et al. 2011; Lin et al., 2011).

The dispersion measurements of the Rayleigh and Love waves indicate (Figures 5-6) the existence of 20 azimuthal anisotropy, which is about 6-10% at 7s period, with overall coastperpendicular fast directions (around 200°). The results are consistent generally with large scale anisotropy studies in the region (e.g., Lin et al., 2011; Alvizuri and Tanimoto, 2011), and show additional smaller scale features correlated with various elements of fault structures. The fast directions tend to align with the direction of the main strike-slip faults, but exhibit strong rotations near major complexities such as the trifurcation area and the region between the SJFZ and SAF. On the geometrically simpler Anza section of the SJFZ there is a reduction of azimuthal anisotropy. Some aspects of the derived azimuthal anisotropy may be affected by the strong directionality of the noise sources in the area (e.g., Schulte-Pelkum et al. 2004; Hillers et al. 2013). However, the correlations between spatial variations of the observed azimuthal anisotropy and various structural features suggest an overall physical

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origin of the discussed results, involving fault-parallel shearing and various perturbations nearmajor fault complexities.

The obtained images of shear wave velocities show clear velocity contrasts across the SJFZ and Ellsinore fault, along with low velocity zones around the SJFZ and SAF that are especially pronounced in the region between the two faults, around the San Jacinto basin and trifurcation area of the SJFZ, and in the Salton trough area (Figures 12-16). Shallow low velocity zones also appear to extend from the SJFZ toward the Elsinore fault in the top 1-2 km. For the 3-7 km depth range where both our study and the Allam and Ben-Zion (2012) tomography provide reliable images, there is good agreement in the locations of the velocity reductions associated with basins and damage zones, although their lateral extent is larger in our study due to the larger employed near-fault grid size. As shown by the average model in Figure 11a, our results are generally slower by about 2-10% at different depths than those of Allam & Ben-Zion (2012). The differences between the two models decrease with increasing depth, suggesting that the different depth resolution of the studies may explain the discrepancy. The earthquake tomography has good resolution from about 3 km to about 15km (Allam and Ben-Zion, 2012), while our noise-based surface waves imaging with periods between 3 and 12 seconds is mostly sensitive to the top \sim 7 km of the crust. The resolution of the earthquake tomography in the top 3 km is poor due to the almost vertical ray paths, so the inversion results of Allam and Ben-Zion (2012) for the shallow crust are likely influenced (overestimated) by the deeper structures. Similarly, our inversion results likely project shallower structures somewhat deeper leading to underestimated velocities. Systematic sensitivity studies of both inversion methods to depth is needed to understand better the generally slower Vs values obtained in our analysis.

Our noise-based tomography allows us to image velocity contrasts across various fault sections (Figures 14-15) and flower-shape damage zones (Figure 16) almost up to the surface.

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622 We observe higher Vs values on the NE block of the central section of the SJFZ, and a reversed contrast on the section between the San Jacinto basin and the SAF. Similar contrasts were observed over the seismogenic depth sections by Allam and Ben-Zion (2012) and Allam et al. (2014). As discussed in those paper, the observed velocity contrasts combined with model results on bimaterial ruptures (e.g., Ben-Zion and Andrews 1998; Shi and Ben-Zion 2006; Ampuero and Ben-Zion 2008) imply a statistically preferred rupture direction of earthquakes on the central section of the SJFZ to the NW. This inference is consistent with observed rock damage asymmetry across the fault (Dor et al., 2006; Lewis et al., 2005; Wechsler et al., 2009), along-strike asymmetry of aftershocks (Zaliapin and Ben-Zion 2011), and reversed-polarity secondary deformation structures near segment ends (Ben-Zion et al., 2012). The reversed velocity contrast NW of the San Jacinto basin, with higher velocity in the SW block, may act as a dynamic barrier by increasing the normal stress at the tip of NW propagating ruptures that nucleate around Anza or in the trifurcation area. We also observe a clear velocity contrast across the SE part of the Elsinore fault with higher Vs on the SW side, and little or possibly reversed contrast on the NW section of the fault. The validity of these results for the deeper sections of the Elsinore fault should be substantiated with detailed earthquake tomography or noise imaging using longer periods.

The flower-shape damage zones around the SJFZ and SAF in Figure 16, with broader damage around geometrical fault zone complexities, merge nicely with the images of Allam and Ben-Zion (2012) and are consistent with theoretical results on decreasing damage width with depth (e.g. Ben-Zion and Shi 2005; Finzi et al. 2009; Kaneko and Fialko 2011). It is interesting to note that the broad damage zone in the region between the SJFZ and SAF, with up to 40% velocity reduction in the top few km, corresponds to a zone of high diffuse seismicity at seismogenic depth (Hauksson et al., 2012). A similar correlation between significant broad shallow damage zone and deep diffuse seismicity is also observed in the

complex trifurcation area that is associated with highly heterogeneous focal mechanisms (Bailey et al., 2010; Hauksson et al., 2012). The broad damage zones are generally relic structures reflecting the early organizational stage of the fault zone (e.g. Ben-Zion and Sammis, 2003). The correlations of such zones with the diffuse seismicity can be explained by remaining geometrical heterogeneities that persist at seismogenic depth and produce local stress concentration that initiate ruptures.

The noise-based tomographic results of this paper improve significantly the available information on seismic velocities in the top ~7 km of the complex plate boundary region around the SJFZ. More detailed imaging of the velocity structure in the top 500 m may be obtained using correlations of coda waves (e.g., Campillo and Paul, 2003), full earthquake waveforms (Roux and Ben-Zion 2014) or high-frequency noise. Integrating the imaging results associated with the available earthquake and noise data is best done by performing joint inversions of the different measurements. This will be attempted in a follow up work.

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REFERENCES

Allam, A. A. and Y. Ben-Zion (2012), Seismic velocity structures in the Southern California plate-boundary environment from doube-difference tomography, Geophys. J. Int., 190, 1181–1196, doi:10.1111/j.1365-246X.2012.05544.x.

- Allam, A. A., Y. Ben-Zion I. Kurzon and F. L. Vernon (2014), Seismic velocity structure in the Hot Springs and Trifurcation Seismicity Cluster Areas of the San Jacinto Fault Zone from double-difference tomography, Geophys. J. Int., in press.
- Alvizuri, C. and T. Tanimoto, (2011). Azimuthal anisotropy from array analysis of Rayleigh waves in Southern California. Geophys. J. Int., 186, B08307.
- Ampuero, J.-P. and Y. Ben-Zion (2008). Cracks, pulses and macroscopic asymmetry of
 dynamic rupture on a bimaterial interface with velocity- weakening friction, Geophys. J.
 Int., 173, 674–692, doi:10.1111/j.1365-246X.2008.03736.x.
- Aster, R.C., Shearer, P.M. & Berger, J., 1990. Quantitative measurements of shear wave
 polarizations at the Anza seismic network, southern California: Implications for shear
 wave splitting and earthquake prediction, J. Geophys. Res., 95, 12 449–12 473.
- Bailey, I. W., Ben-Zion, Y., Becker, T. W. and Holschneider, M. (2010), Quantifying focal
 mechanism heterogeneity for fault zones in central and southern California. Geophysical
 Journal International, 183: 433–450. doi: 10.1111/j.1365-246X.2010.04745.x
 - Barmin, M., M. Ritzwoller, and A. Levshin (2001), A fast and reliable method for surface
 wave tomography, Pure Appl. Geophys., 158(8), 1351–1375.
- 59 692 Bensen G.D., Ritzwoller M.H., Barmin M.P., Levshin A. L., Lin F., Moschetti M. P, Shapiro

N. M. Yang Y., (2007), Processing seismic ambient noise data to obtain reliable broadband surface wave dispersion measurment, Geophys. J. Int., 169, 1239–1260.

Ben-Zion, Y. (2008). Collective behavior of earthquakes and faults: continuum-discrete
transitions, evolutionary changes and cor- responding dynamic regimes, Rev. Geophys.,
46, RG4006, doi:10.1029/2008RG000260.

Ben-Zion, Y. and D. J. Andrews, (1998), Properties and Implications of Dynamic Rupture
Along a Material Interface, Bull. Seism, Soc. Am., 88, 1085-1094.

Ben-Zion, Y., T. Rockwell, Z. Shi and S. Xu, (2012). Reversed-polarity secondary deformation structures near fault stepovers, J. of Appl. Mech., 79, 031025, doi:10.1115/1.4006154.

Ben-Zion, Y. and C.G. Sammis (2003). Characterization of fault zones, Pure appl. Geophys.,
 160, 677–715.

Ben-Zion, Y. and Z. Shi (2005). Dynamic rupture on a material interface with spontaneous generation of plastic strain in the bulk, Earth Planet. Sci. Lett., 236, 486-496, DOI: 10.1016/j.epsl.2005.03.025.

Boore, D.M. (2014). What do data used to develop ground-motion prediction equations tell us about motions near faults?, Pure and Applied Geophysics, DOI: 0.1007/s00024-013-0748-9.

Boness N.L. and M.D. Zoback, (2006). A multiscale study of the mechanisms controlling
shear velocity anisotropy in the San Andreas Fault Observatory at Depth. Geophysics, 71,
doi:10.1190/1.2231107.

Boué P., P. Roux, M. Campillo and B. de Cacqueray (2013) Double beamforming processing

in a seismic prospecting context. Geophysics. Volume : 78 Issue : 3 Pages : V101-V108
DOI : 10.1190/GEO2012-0364.1

Campillo, M. and A Paul, 2003, Long-range correlations in the seismic coda, Science 299,
547–549.

Campillo, M., Roux, P. & Shapiro, N.M., (2011), Using seismic noise to image and to monitor the Solid Earth, in Encyclopedia of Solid Earth Geophysics, ed. Gupta, Harsh K., pp. 1230–1235, Springer.

Campillo, M., S. Singh, N. Shapiro, J. Pacheco, and R. Herrmann (1996), Crustal structure south of the Mexican volcanic belt, based on group velocity dispersion, Geofis. Int., 35, 361–370.

Dair, L., and Cooke, M.L., 2009, San Andreas fault geometry through the San Gorgonio Pass, California: The Geological Society of America, v. 37; no.2, p.119-122.

Dor, O., Rockwell, T.K. and Ben-Zion, Y., (2006). Geologic observations of damage asymmetry in the structure of the San Jacinto, San Andreas and Punchbowl faults in southern California: a possible indicator for preferred rupture propagation direction, Pure appl. Geophys., 163, 301–349, doi:10.1007/s00024-005-0023-9.

Fay, N.P. and Humphreys, E.D., (2005). Fault slip rates, effects of elastic het- erogeneity on
 geodetic data, and the strength of the lower crust in the Salton Trough region, southern
 California, J. geophys. Res., 110, B09401, doi:10.1029/2004JB003548.

Fialko, Y., L. Rivera, and H. Kanamori, (2005). Estimate of differential stress in the upper
crust from variations in topography and strike along the San Andreas fault, Geophys. J.
Int., 160, 527-532.

737	Finzi, Y., Hearn, E.H., Lyakhovsky, V. and Y. Ben-Zion (2009). Structural properties and
$\frac{1}{2}$ 738	deformation patterns of evolving strike-slip faults: numerical simulations incorporating
4 5 739 6	damage rheology, Pure appl. Geophys.,166, 1537–1573, doi:10.1007/s00024-009-0522-1.
8 740 9	Froment B., Campillo M., Roux P., Gouedard P., Verdel A., Weaver R.L. (2010),
¹⁰ 741	Estimation of the effect of nonisotropically distributed energy on the apparent arrival time
12 13 742 14 15	in correlations, Geophysics, 75, SA85-SA93, doi:10.1190/1.3483102.
16 743 17	Fry, B., F. Deschamps, E. Kissling, L. Stehly, and D. Giardini (2010), Layered azimuthal
$^{18}_{19}$ 744	anisotropy of Rayleigh wave phase velocities in the European Alpine lithosphere inferred
20 21 745 22 23	from ambient noise, Earth Planet. Sci. Lett., 297(1), 95–102.
$^{24}_{25}$ 746	Fuis, S. G., D. Scheirers, E. V. Langenheim, D. M. Koh- Ler, (2012). A New Perspective on
26 27 747 28	the Geometry of the San An- dreas Fault of South California and Relationship to Litho-
²⁹ 748 30	spheric Structure, Bulletin of Seismological Society of America, Vol. 102, 2012, pp. 236-
³¹ 32 749 33	1251.
35 750 36	Hansen, P. & O'Leary, D., (1993). The use of the L-Curve in the regularization of discrete ill-
³⁷ 751 ₃₈ 39	posed problems, SIAM J. Sci. Comput., 14, 1487–1503.
$^{40}_{41}$ 752	Hauksson, E. (2000), Crustal structure and seismicity distribution adjacent to the Pacific and
$\frac{43}{44}$ 753	North America plate boundary in southern California, J. Geophys. Res., 105, 13,875-
$^{45}_{46}$ 754 47	13,903.
48 49 755 50	Hauksson, E., W. Yang, and P. M. Shearer, (2012). Waveform Relocated Earthquake Catalog
⁵¹ 756	for Southern California (1981 to June 2011); Bull. Seismol. Soc. Am., Vol. 102, No. 5,
53 54 757 55 56	pp. – doi: 10.1785/0120120010.
57 758 58	Herman, R.B. and Ammon, C.J., (2002). Surface Waves, Receiver Function and Crustal
59 60 759 61 62	Structure, St. Louis University.
63 64 65	32

Hillers, G. and Y. Ben-Zion, (2011), Seasonal variations of observed noise amplitudes at 2-18 Hz in southern California, Geophys. J. Int., 184, 860–868, doi: 10.1111/j.1365-246X.2010.04886.x.

Hillers, G., Y. Ben-Zion, M. Landès, and M. Campillo (2013), Interaction of microseisms with crustal heterogeneity : A case study from the San Jacinto fault zone area, Geochem. Geophys. Geosyst., 14, 2182–2197, doi: 10.1002/ggge.20140.

Janecke, S.U., Dorsey, R.J., and Belgarde, B., (2010). Age and structure of the San Jacinto and San Felipe fault zones and their lifetime slip rates: In Clifton, H.E., and Ingersoll, R.V., eds., 2010, Geologic excursions in California and Nevada: tectonics, stratigraphy and hydrogeology: Pacific Section, SEPM (Society for Sedimentary Geology) Book 108, p. 233-271.

Kaneko, Y., and Fialko Y., (2011). Shallow slip deficit due to large strike-slip earthquakes in dynamic rupture simulations with elasto-plastic off-fault response. Geophysical Journal International. 186:1389-1403.

Kimman W.P. and Trampert J., (2010). Approximations in seismic interferometry and their
effects on surface waves, Geophys. J. Int., 182, 461-476.

Kirby, S.M., Janecke, S.U., Dorsey, R.J., Housen, B.A., McDougall, K., Langenheim, V., & Steely, A. (2007). Pleistocene Brawley and Ocotillo formations: evidence for initial strike-slip deformation along the San Felipe and San Jacinto fault zones, Calif. J. Geol. 115, 43–62.

Kurzon, I., F.L. Vernon, Y. Ben-Zion and G. Atkinson, (2014). Ground Motion Prediction
 Equations in the San Jacinto Fault Zone – Significant Effects of Rupture Directivity and
 Fault Zone Amplification, Pure Appl. Geophys., doi: 10.1007/s00024-014-0855-2.

Landès, M., Hubans, F., Shapiro, N., Paul, A. & Campillo, M., (2010). Origin of deep ocean
microseisms by using teleseismic body waves, J. geophys. Res., 115, B05302,
doi:10.1029/2009JB006918.

Levshin, A., Yanovskaya, T., Lander, A., Bukchin, B., Barmin, M., Ratnikova, L. & Its, E., (1989). Seismic Surface Waves in a Laterally Inhomo- geneous Earth, Kluwer, Dordrecht.

Lewis, M.A., Peng, Z., Ben-Zion, Y. and Vernon, F.L., (2005). Shallow seismic trapping
structure in the San Jacinto fault zone near Anza, California, Geophys. J. Int., 162, 867–
881, doi:10.1111/j.1365-246X.2005.02684.x.

Lin, F., Moschetti, M. & Ritzwoller, M., (2008). Surface wave tomography of the western United States from ambient seismic noise: Rayleigh and Love wave phase velocity maps, Geophys. J. Int., 173(1), 281–298.

- Lin, F., Ritzwoller, M., Townend, J., Bannister, S. and Savage, M., (2007). Ambient noise
 Rayleigh wave tomography of New Zealand, Geophys. J. Int., 170(2), 649–666.
- Lin, F., Ritzwoller, M. H. and Snieder, R. (2009), Eikonal tomography: surface wave
 tomography by phase front tracking across a regional broad-band seismic array.
 Geophysical Journal International, 177: 1091–1110. doi: 10.1111/j.1365246X.2009.04105.x
 - Lin, F., M. Ritzwoller, Y. Yang, M. Moschetti, and M. Fouch (2011), Complex and variable
 crustal and uppermost mantle seismic anisotropy in the western United States, Nat.
 Geosci., 4(1), 55–61.
 - Lin, G., Thurber, C.H., Zhang, H., Hauksson, E., Shearer, P., Waldhauser, F., Brocher, T.M.
 and Hardebeck, J., (2010). A California statewide three dimensional seismic velocity
 model from both absolute and differential times, Bull. seism. Soc. Am., 100, 225–240.

65

Lin, G., P. M. Shearer, E. Hauksson, and C. H. Thurber (2007), A three-dimensional crustal seismic velocity model for southern California from a composite event method, J. Geophys. Res., 112, B11306, doi:10.1029/2007JB004977.

Lindsey, E. O., and Y. Fialko (2013), Geodetic slip rates in the southern San Andreas Fault
 system: Effects of elastic heterogeneity and fault geometry, J. Geophys. Res. Solid Earth,
 118, 689–697, doi:10.1029/2012JB009358

Liu, Y., T. L. Teng and Y. Ben-Zion, (2005). Near-surface seismic anisotropy, attenuation
and dispersion in the aftershock region of the 1999 Chi-Chi, earthquake, Geophys. J. Int.,
160, 695-706.

Magistrale, H., and C. Sanders (1996), Evidence from precise earthquake hypocenters for segmentation of the San Andreas Fault in San Gorgonio Pass, J. Geophys. Res., 101(B2), 3031–3044, doi:10.1029/95JB03447.

Marilyani, G.I., Rockwell, T.K., Onderdonk, N.H., & McGill, S.F (2013). Straightening of the
Northern San Jacinto Fault, California as Seen in the Fault-structure Evolution of the San
Jacinto Valley Stepover, Bull. Seismol. Soc. Am. 103(3).

Mordret, A., N. M. Shapiro, S. Singh, P. Roux, J.P. Montagner and O. I. Barkved, (2013).
Azimuthal anisotropy at Valhall: the Helmholtz equation approach, Geophysical Research
Letter, doi: 10.1002/grl.50447.

Morton, N., Girty, G.H. and Rockwell, T.K., (2012). Fault zone architecture of the San Jacinto fault zone in Horse Canyon, southern California: a model for focused post-seismic fluid flow and heat transfer in the shallow crust, Earth planet. Sci. Lett., 330, 71–83, doi:10.1016/j.espl.2012.02.0

8 Morton, D.M., and Matti, J.C., 1993, Extension and contraction within an evolving divergent

829	strike-slip fault complex: The San Andreas and San Jacinto fault zones at their
$2 \\ 3 \\ 830$	convergence in southern California, in Powell, R.E., Weldon, R.J., II, and Matti, J.C., eds.,
⁴ ₅ 831	The San Andreas fault system: Displacement, palinspastic reconstruction, and geologic
7 832	evolution: Geological Society of America, Memoir 178, Chapter 5, p. 217-230.
¹⁰ 11 12 833	Moschetti, M., Ritzwoller, M. & Shapiro, N., (2007). Surface wave tomography of the
13 834 14	western United States from ambient seismic noise: Rayleigh wave group velocity maps,
¹⁵ 835 16 17	Geochem. Geophys. Geosyst, 8, Q08010, doi:10.1029/2007GC001655.
$^{18}_{19}836$	Onderdonk, N.W. (1998). The tectonic structure of the Hot Springs fault zone, Riverside
21 837 22 23	County, California [Ph.D. Thesis]: California State University, Long Beach, California.
²⁴ 25 838	Peng, Z., and Y. Ben-Zion (2004), Systematic analysis of crustal anisotropy along the
²⁶ 27 839 28	Karadere-Du"zce branch of the north Anatolian fault, Geophys. J. Int., 159, 253-274,
29 30 31	doi:10.1111/j.1365-246X.2004.02379.x.
$\frac{32}{33}$ 841	Poli P., H. A. Pedersen, M. Campillo, and the POLENET/LAPNET Working Group (2013),
35 842 36	Noise directivity and group velocity tomography in a region with small velocity contrasts
³⁷ ₃₈ ³⁹	: the northern Baltic Shield. Geophysical Journal International 192, 413–424.
$40 \\ 41 \\ 844 \\ 42$	Ritzwoller, M.H., F.C. Lin, and W. Shen (2011), Ambient noise tomography with a large
⁴³ 845 44	continental seismic array, Compte Rendus Geoscience, 13 pages,
$45 \\ 46 \\ 846 \\ 47 \\ 40 \\ 40 \\ 40 \\ 40 \\ 40 \\ 40 \\ 40$	doi:10.1016/j.crte.2011.03.007.
48 49 847 50	Rockwell, T., Loughman, C. and Merifield, P., (1990). Late Quaternary rate of slip along the
⁵¹ 848	San Jacinto fault zone near Anza, Southern California, J. geophys. Res. B, 95(6), 8593-
53 54 849 55 56	8605.
57 850 58	Rockwell, T.K., Seitz, G.G., Dawson, T.E. and Young, J., (2006). The long record of San
59 60 61	Jacinto Fault paleoearthquakes at Hog Lake; implications for regional patterns of strain
62 63 64 65	36

mography of the up velocity maps,

release in the southern San Andreas Fault system, Seismol. Res. Lett., 77, 270–296.

Rockwell, T. K., T. E. Dawson, J. Young and Gordon Seitz (2014), A 21 event, 4,000-year
 history of surface ruptures in the Anza Seismic Gap, San Jacinto Fault: Implications for
 long-term earthquake production on a major plate boundary fault, Pure Appl. Geophys., in
 review.

Roux, P. and Y. Ben-Zion, (2014). Monitoring fault zone environments with correlations of earthquake waveforms, Geophys. J. Int., 196, 1073–1081, doi: 10.1093/gji/ggt441.

Roux, P., Wathelet, M. and Roueff, A., (2011). The San Andreas Fault revisited through seismic-noise and surface-wave tomography, Geophys. Res. Lett., 38, L13319, doi:10.1029/2011GL047811.

Sabra, K. G., P. Gerstoft, P. Roux, W. A. Kuperman, and M. C. Fehler (2005a), Extracting
 time-domain Greens function estimates from ambient seismic noise, Geophys. Res. Lett.,
 32, L03310, doi:10.1029/2004GL021862.

Sabra, K. G., P. Gerstoft, P. Roux, W. A. Kuperman, and M. C. Fehler (2005b), Surface wave
 tomography from microseisms in Southern California, Geophys. Res. Lett., 32, L14311,
 doi:10.1029/2005GL023155.

Salisbury, J.B., Rockwell, T.K., Middleton, T.J. and Hudnut, K.W., (2012). LiDAR and field
observations of slip distribution for the most recent surface ruptures along the central San
Jacinto Fault, Bull. seism. Soc. Am., 102, 598–619, doi:10.1785/0120110068.

Schulte-Pelkum, V., P. S. Earle, and F. L. Vernon (2004), Strong directivity of oceangenerated seismic noise, Geochem. Geophys. Geosyst., 5, Q03004, doi:10.1029/2003GC000520. Seeber, L., and J. G. Armbruster (1995), The San Andreas Fault system through the
Transverse Ranges as illuminated by earthquakes, J. Geophys. Res., 100(B5), 8285–8310,
doi:10.1029/94JB02939.

Shapiro, N. and Campillo, M., (2004). Emergence of broadband Rayleigh waves from correlations of the ambient seismic noise, Geophys. Res. Lett, 31(7), doi:10.1029/2004GL019491.

Shapiro, N.M., Campillo, M., Stehly, L. and Ritzwoller, M.H., (2005). High resolution surface-wave tomography from ambient seismic noise, Science, 29, 1615–1617.

Sharp, R.V., (1967). San Jacinto fault zone in the Peninsular Ranges of south- ern California, Geol. Soc. Am. Bull., 78, 705–730.

Shi, Z. and Y. Ben-Zion, (2006). Dynamic rupture on a bimaterial interface governed by slipweakening friction, Geophys. J. Int., 165, 469-484, doi: 10.1111/j.1365246X.2006.02853.x.

Smith, M., and F. Dahlen (1973), The azimuthal dependence of Love and Rayleigh wave
propagation in a slightly anisotropic medium, J. Geophys. Res., 78(17), 3321–3333.

Stehly, L, M. Campillo and N. Shapiro (2006), A Study of the seismic noise from its longrange correlation properties, Journal of Geophysical research, Vol 111, B10306.

Stehly, L., Fry, B., Campillo, M., Shapiro, N. M., Guilbert, J., Boschi, L. and Giardini, D.
(2009), Tomography of the Alpine region from observations of seismic ambient noise.
Geophysical Journal International, 178: 338–350. doi: 10.1111/j.1365-246X.2009.04132.x

Tape, C., Q. Liu, A. Maggi, and Tromp, J., (2010). Seismic tomography of the southern California crust based on spectral-element and adjoint methods, Geophys. J. Int., 180,

433-462.

898 data to detect rock damage from geomorphic signals along the central San Jacinto Fault, 8 899 Geomorphology, 113, 82-96, doi:10.1016/j.geomorph.2009.06.007. Weaver, R.L., B. Froment and M. Campillo, (2009), On the correlation of non-isotropically distributed ballistic scalar diffuse waves: Journal of the Acoustical Society of America, 126 (4), 1817-1826, doi:10.1121/1.3203359. Yang, H. and Zhu, L., (2010). Shallow low-velocity zone of the San Jacinto fault from local earthquake waveform modelling, Geophys. J. Int., 183, 421–432. Yang, Y., Ritzwoller, M., Levshin, A. & Shapiro, N., (2007). Ambient noise Rayleigh wave tomography across Europe, Geophys. J. Int., 168, 259-274. Yang, Z., A. Sheehan, and P. Shearer (2011), Stress induced upper crustal anisotropy in southern California, J. Geophys. Res., 116, B02302, doi:10.1029/2010JB007655. Yule, D., and K. Sieh (2003), Complexities of the San Andreas fault near San Gorgonio Pass: Implications for large earthquakes, J. Geophys. Res., 108, 2548, doi:10.1029/2001JB000451, B11. Zaliapin, I. and Y. Ben-Zion, 2011. Asymmetric distribution of aftershocks on large faults in California, Geophys. J. Int., 185, 1288-1304, doi: 10.1111/j.1365-246X.2011.04995.x. Zoback, M. and Healy, J. (1992). In Situ Stress Measurements to 3.5 km Depth in the Cajon Pass Scientific Research Borehole: Implications for the Mechanics of Crustal Faulting.

Wechsler, N., Rockwell, T.K. and Y. Ben-Zion (2009). Application of high resolution DEM

Journal of Geophysical Research 97: doi: 10.1029/91JB02175. issn: 0148-0227.

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920 **CAPTIONS:**

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3 921 Figure 1: Map of the southern California plate boundary region with 158 seismic stations used in this study (red triangles). The fine black lines indicate the fault traces with the San Andreas Fault (SAF), the San Jacinto Fault Zone (SJFZ) and the Elsinore Fault (EF). The blue dots show the seismicity (Hauksson et al., 2012). The blue triangles are the examples stations (paths in purple) discussed in Figure 2. Cross-sections of velocity along profiles 1-7 (black lines) are shown in Figures 14 and 15. The background color indicate the topography with green and brown being low and high elevations respectively. The insert indicates the location of the main map in California.

Figure 2: Examples of paths: PLM-PSD perpendicular to the coast and the SJFZ (Left figures) and PER-BOR along these structures (Right figures). The stations locations and the discussed paths are indicated on Figure 1. Daily ZZ correlations are plotted as correlograms in (A) and (D). (B-E) Stacked cross-correlation for the entire year 2012 between PLM and PSD (B) and PER and BOR (E). The components are indicated on the figure. Rayleigh waves are observed on the ZZ, ZR, RZ and RR components and Loves waves are obtained on the TT component. (C-F) Period - group velocity diagrams resulting from the combination of the ZZ, ZR, RZ and RR components with a logarithm stacking method describe in section 4.1. The black lines indicate the measured Rayleigh waves dispersion curves and the range on which they are used in the inversion.

Figure 3: Correlation time in seconds as a function of inter-stations distances for the 9 components of the correlation tensor (the components are indicated above the panels). The correlations are stacked for each 0.5km distance bin. Clear Rayleigh waves are reconstruct on the RR, RZ, ZR and ZZ components. Love wave is reconstruct on the TT component. Note

the overall good symmetry of the correlations functions. The colors indicate the amplitudes(positive in white and negative in black) with the same scale on all panels.

Figure 4: Histograms of dispersions measurements at 7 seconds for Rayleigh (A) and Love waves (B) for all the pair of stations. The green lines indicate the mean values and the red lines 2 standard deviations. Only the measurements within these 2 std will be conserved for the inversions.

Figure 5: Azimuthal distributions of the selected dispersions at 7s (see figure 4) for Rayleigh (A) and Love (B) waves respectively. The small black dots are the group velocity measurements. The large red dots are the group velocity averaged over 10° bins with error bars indicating the standard deviations. The thick blue curves are the best fits for the 2θ and 4θ azimuthal variations obtained with equation (2). (C-D) Values of the fitted parameters as a function of period. (C) Values of parameters A and B of equation (2) for Love (dashed) and Rayleigh (continuous). (D) Best fitting angles for Love (dashed) and Rayleigh (continuous).

Figure 6: Azimuthal 2θ anisotropy maps with fast directions and amplitudes of 7s Rayleigh (A) and Love (B) waves.

Figure 7: Variance reduction as a function of the four different parameters used in the inversion (L-curve analysis) for Rayleigh waves at 7s of period: (A) Damping factor α , (B) correlation length σ , (C) parameter β and (D) parameter λ . The chosen parameters are indicated by red dots. The insert in (D) provides a zoom in for λ values between 0 and 1.

Figure 8: Rayleigh group velocity maps at 3s (A), 5s (B), 7s (C) and 9s (D). The colorbar
show the Rayleigh waves group velocities in km/s.

Figure 9: Love group velocity maps at 3s (A), 5s (B), 7s (C) and 9s (D). The colorbar show
the Rayleigh waves group velocities in km/s.

Figure 10: Number of paths per cell at 7s of period for Rayleigh (A) and Love waves (B).
The path coverage is high for all the regions between the Elsinore Fault and the San Andreas
Fault. (C) and (D) show the value of the resolution length at 7s for Rayleigh (C) and Love (D)
waves. The resolution is good (small correlation length) for most of the region of interest with
a mean correlation length of about 3 to 4km. The resolution is lower for Love waves due to
the fewer number of paths (4182 paths for Rayleigh waves versus 3014 paths for Love waves
at 7s, see table 1).

Figure 11: (A) Average shear wave velocity model of the area obtained from Rayleigh (blue curve) and Love (red curve) waves group velocity maps. The dashed black line shows the average Allam & Ben-Zion (2012) model use here as the initial model for the inversions. (B-C) Average dispersion curves (blue line) and theoretical curves associated with the models of (A) for Rayleigh (B) and Love waves (C). (D) Misfit as a function of period between the two curves of (B) (blue trace) and (C) (red trace). (E-F) Resolution matrix of the average dispersion curves inversions for Rayleigh (E) and Love (F). (G-H) Histograms of misfits for the local shear wave inversions using Rayleigh (G) and Love (H) waves dispersion curves. The histograms present the misfit between the observed and synthetic dispersion curves for each cell when all the periods are considered.

Figure 12: Map views of Vs at various depths (indicated above the panels) obtained from Rayleigh waves dispersions. The velocity scale is in km/s and is variable for increased visual resolution. Clear velocity contrasts are observed across the SJFZ, the southern SAF and the southern Elsinore fault. The SJFZ and the SAF are marked with low velocity zones in the top 5 km associated to damage zones and basins. The complex region associated with the merging SJFZ and SAF, presents strong velocity reduction in the top 5 km. **Figure 13:** Map views of Vs at various depths obtained from Love waves dispersions. The velocity scale is in km/s and is variable for increased visual resolution. As shown in Figure 11f the resolution at 7km is poor. The results show clear velocity contrast and low velocity zones associated with the main faults that are consistent with those obtained with Rayleigh waves (see Figure 12).

Figure 14: Fault normal cross-sections of the shear wave velocity extracted from Rayleigh wave model. The zeros indicate the position of the SJFZ on each profile. The locations of the cross sections are plotted in Figure 1. The velocity scale is in km/s and is the same for all panels. We observed lateral and depth variations of the velocity contrast and low velocity zones associated with the SJFZ. A strong velocity reduction that extend up to 4km depth is associated to the complex region where the SJFZ and the SAF merges (profiles 3 and 4).

Figure 15: Fault normal cross-sections of the shear wave velocity extracted from Love wave model. The zeros indicate the position of the SJFZ on each profile. The velocity scale is in km/s and is the same for all panels. The observed velocity contrast and damage zones are in good agreement with the results obtained from Rayleigh waves (see Figure 14).

Figure 16: 3D Vs map view obtained from the inversion of Rayleigh waves group velocity. The colorbar indicates the shear wave velocity in km/s. Clear velocity contrasts and low velocity zones flower structure are observed.

Table 1:

Period (s)	3	4	5	6	7	8	9	10	11	12
Love	2410	3068	3176	3122	3014	2858	2577	2322	1896	1457

	Rayleigh	2881	4315	4542	4442	4182	3678	2781	2045	1379	810
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7 SUPLEMENTARY MATERIALS:

Figure S1: (A) Raw data for January 3, 2009, with an earthquake. (B) Same data after
clipping at 4 std. (C) Same data after pre-processing using the sub-segment method (Poli et al,
2012).

Figure S2: (A) Cross correlation between PLM and KNW stations obtained for January 3, 2009 after clipping at 4 std (red trace). The blue trace corresponds to the same pair but for a reference day (January 8, 2009) chosen for it's good and clean noise. (B) Same as (A) but with the Poli et al, (2012) pre-processing method applies (see the data on Figure S1C).

Shear wave velocity model based on Rayleigh waves:

The Vs model based on Rayleigh waves is provided in a text file named 'Vs_Rayleigh.dat'. Each row is a cell of the model having 4 columns with the following information: depth (km), longitude (deg), latitude (deg), shear wave velocity (km/s). 'NaN' in the Vs column denotes a cell with no value.

2 Shear wave velocity model based on Love waves:

The Vs model based on Love waves is provided in a text file named 'Vs_Love.dat'. The entries are the same as in 'Vs Rayleigh.dat'. Figure 1 Click here to download high resolution image





Figure 3 Click here to download high resolution image





Figure 5 Click here to download high resolution image









Figure 8 Click here to download high resolution image









Figure 12 Click here to download high resolution image









Figure 14 Click here to download high resolution image



Figure 15 Click here to download high resolution image





Period (s)	3	4	5	6	7	8	9	10	11	12
Love	2410	3068	3176	3122	3014	2858	2577	2322	1896	1457
Rayleigh	2881	4315	4542	4442	4182	3678	2781	2045	1379	810

Figure S1 Click here to download Supplementary Material: figureS1.jpg Figure S2 Click here to download Supplementary Material: figureS2.jpg Vs model from Rayleigh Click here to download Supplementary Material: Vs_Rayleigh.dat Vs model from Love Click here to download Supplementary Material: Vs_Love.dat